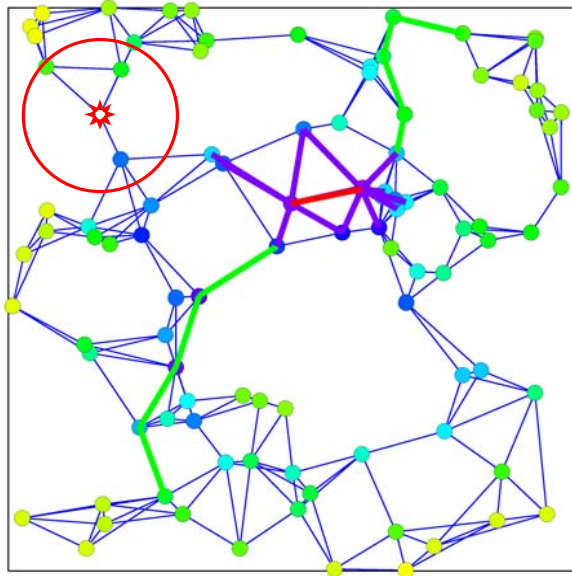


Selforganizing control of network structure in wireless communication

R. Sollacher
W. Krause (PhD)
I. Glauche (Dipl.)
J. Scholz (Dipl.)



Wireless multihop ad hoc networks:

- **nodes**: distributed in space
- **(wireless) links**: links inside **transmission radius**
- **routing**: packet traffic hops along **end-to-end communication routes**
- **medium access control**: **neighbors** are blocked during an active **one-hop transmission**
- no infrastructure, no central master

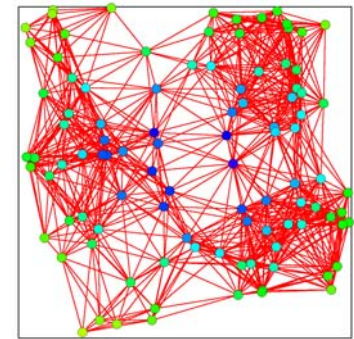
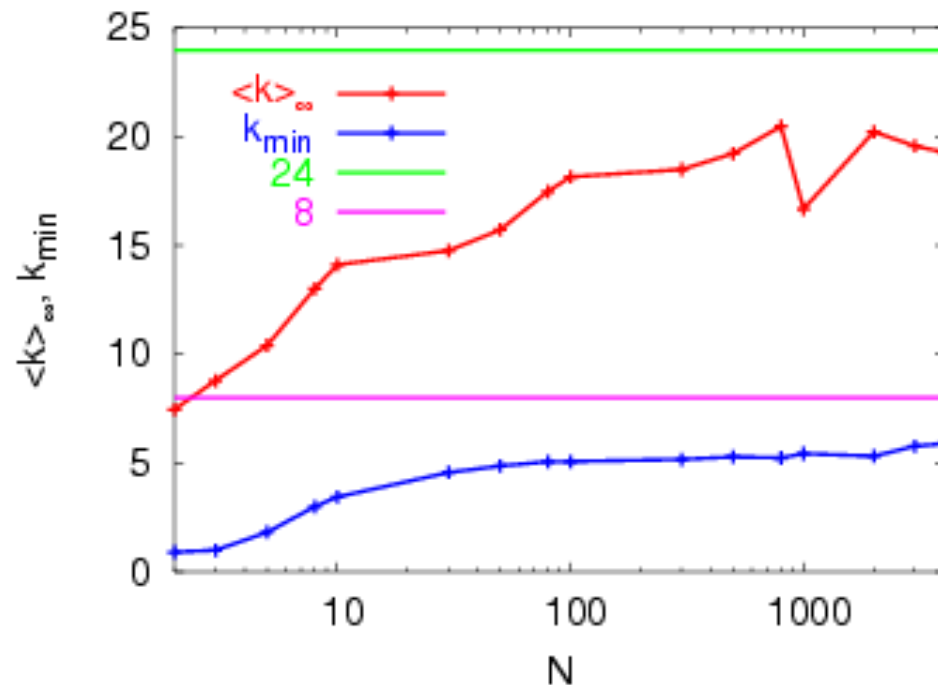
SELFORGANIZATION:

- networks – structure, dynamics & function
- protocol-design concepts – distributive, adaptive & learning

TOPICS:

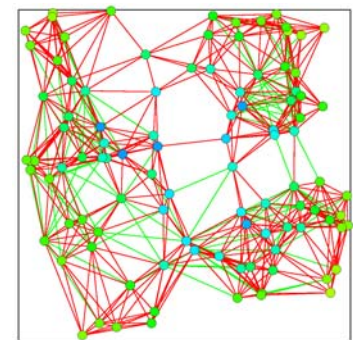
- (strong) network connectivity
- (power efficiency)
- (large) end-to-end throughput capacity
- (efficient) routing & congestion control

Connectivity: minimum-node-degree rule



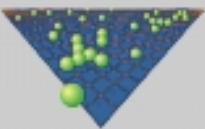
$$P_i = P = \text{const}$$

$$ngb \geq ngb_{\min}$$



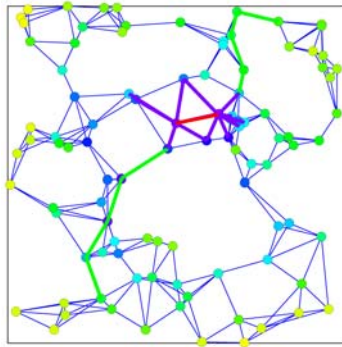
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follow-up: Montemanni+Gambardella'05



Capacity (throughput) I: simple estimate

$$T_{e2e} = \frac{1}{D} \frac{N}{MAC}$$

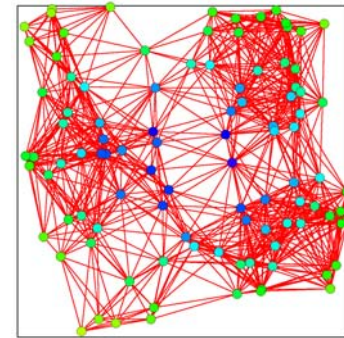


Gupta+Kumar'00

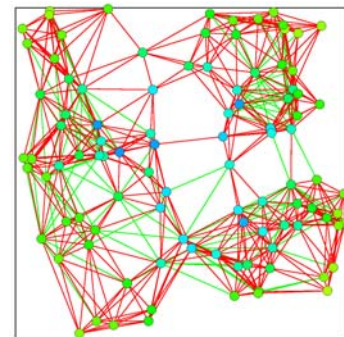
$$T_{e2e} \propto \sqrt{N}$$

$N < N_{crit}$: cellular ($T_{e2e} = 0.5$)
 $N > N_{crit}$: multihop ad hoc

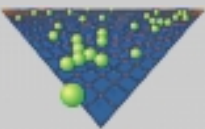
emergence of frustration



small D,
large MAC



large D,
small MAC

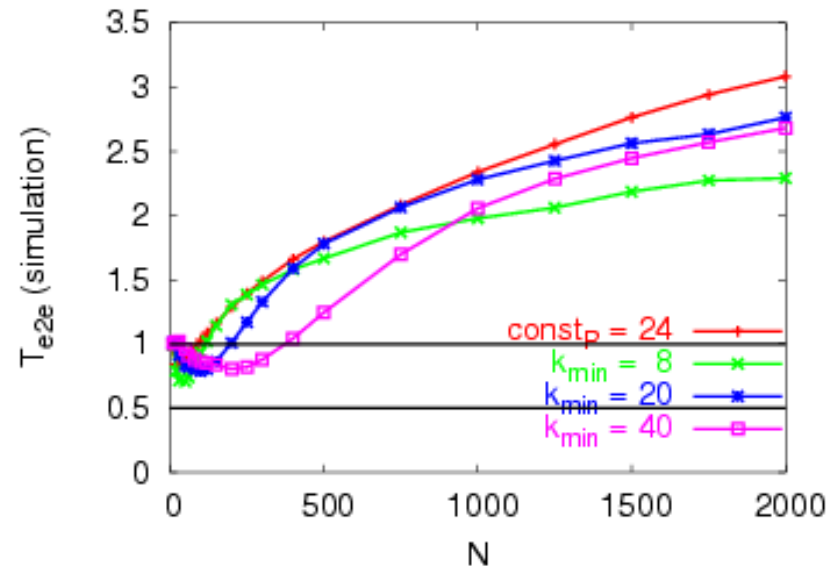


Throughput II: packet traffic simulation

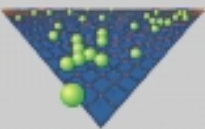
- discrete-time-step dynamics
- random packet traffic
- source load μ
- shortest-path routing
- MAC blocking
- infinite buffers (FIFPO)

$$\mu_m^{in} = \mu_m^{out} \Rightarrow \mu_m^{crit}$$

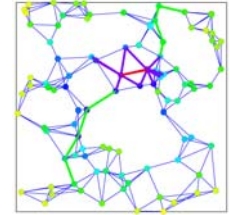
$$\mu_{crit} = \min_m \mu_m^{crit}$$



$$T_{e2e} = \mu_{crit} N \propto N^\gamma$$



Throughput III: most-critical-node effect



$$\mu_m^{in} \leq \mu_m^{out}$$

$$\mu_m^{in} = \mu N B_m^{node} / N(N-1)$$

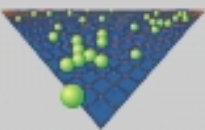
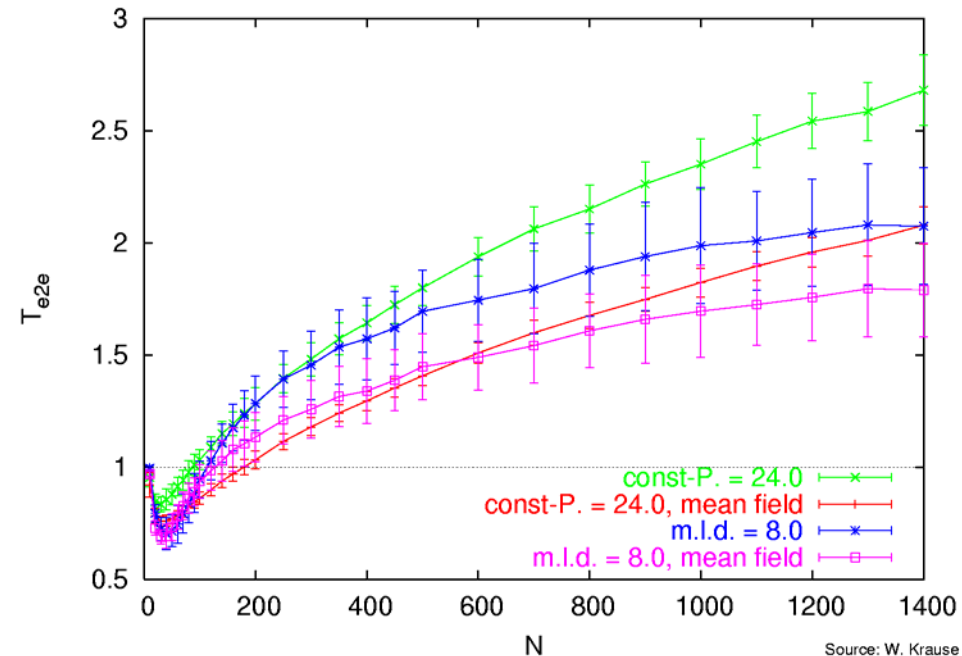
$$B_m^{node} = \sum_{i,f} \text{route}(i \rightarrow f; m)$$

$$\mu_m^{out} = 1 / t_m^{out}$$

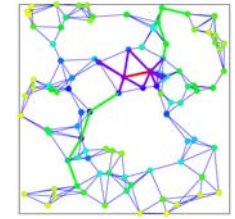
$$t_m^{out} = 1 + \Delta t_1 + \Delta t_2$$

$$\Delta t_1 = \sum_1 p(n_1 \geq 1)$$

$$\Delta t_2 = \sum_2 p(n_2 \geq 1) \sum_1 \frac{B_{21}^{link}}{2B_2^{node}}$$



Throughput IV: intuitive guess



$$\mu_m^{in} = \mu N B_m / N(N-1)$$

$$B_m = \sum_{i,f} \text{route}(i \rightarrow f; m)$$

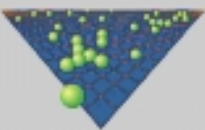
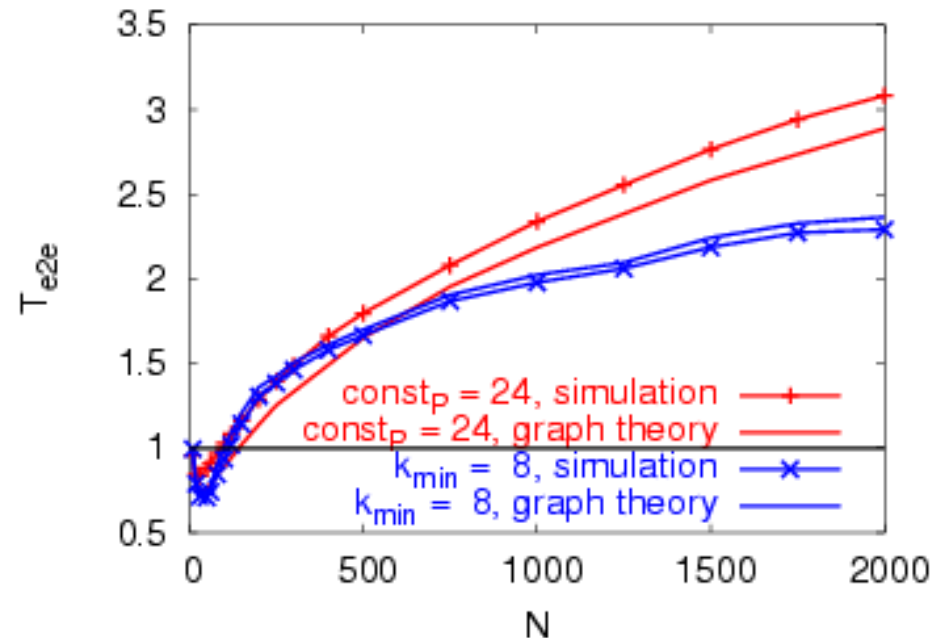
$$\mu_m^{out} = 1 / t_m^{out}$$

$$t_m^{out} = B_m^{cum} / B_m = (B_m + \sum_{n \in \text{ngb}(m)} B_n) / B_m$$

$$\mu_m^{in} \leq \mu_m^{out}$$

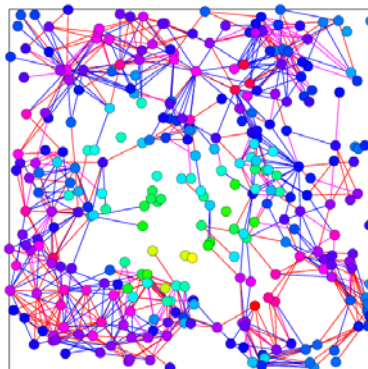
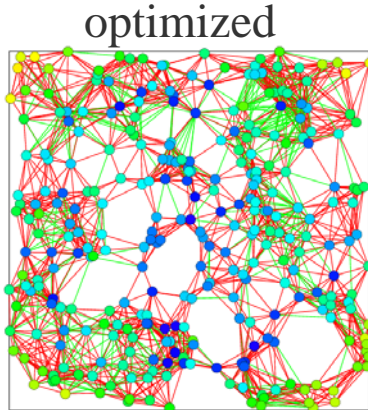
most-critical-node effect:

$$T_{e2e} \approx \frac{N(N-1)}{\langle \sup_m B_m^{cum} \rangle}$$

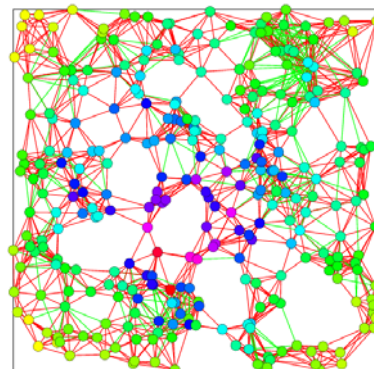


Throughput V: topology optimization

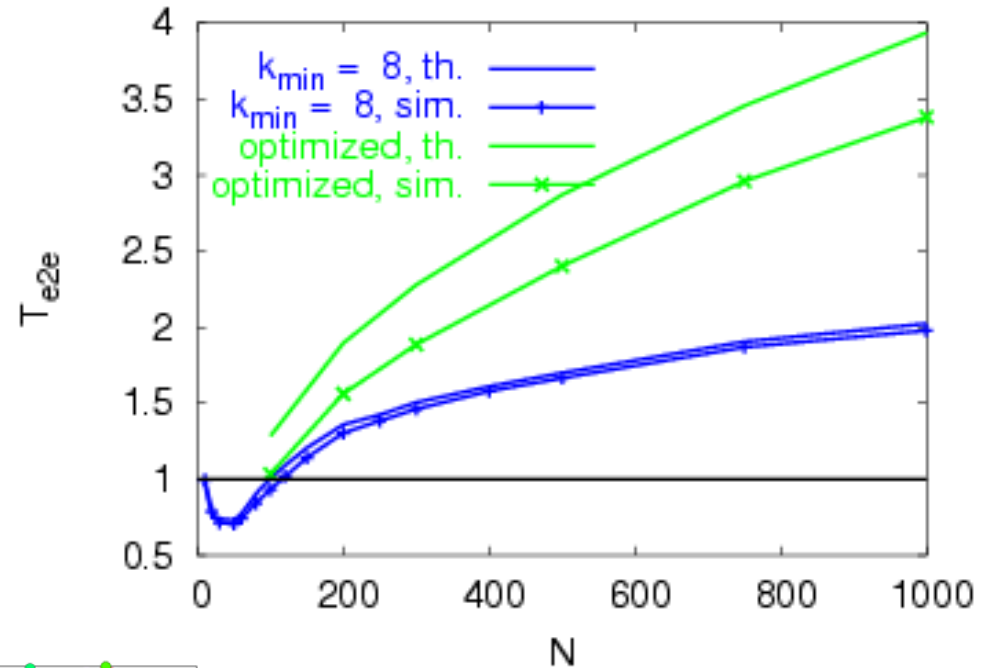
$$T_{e2e} = \frac{N(N-1)}{\left\langle \sup_m B_m^{cum} \right\rangle}$$



changes



initial (ngb=8)



(distributive) outlook:
network design game

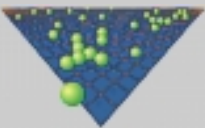
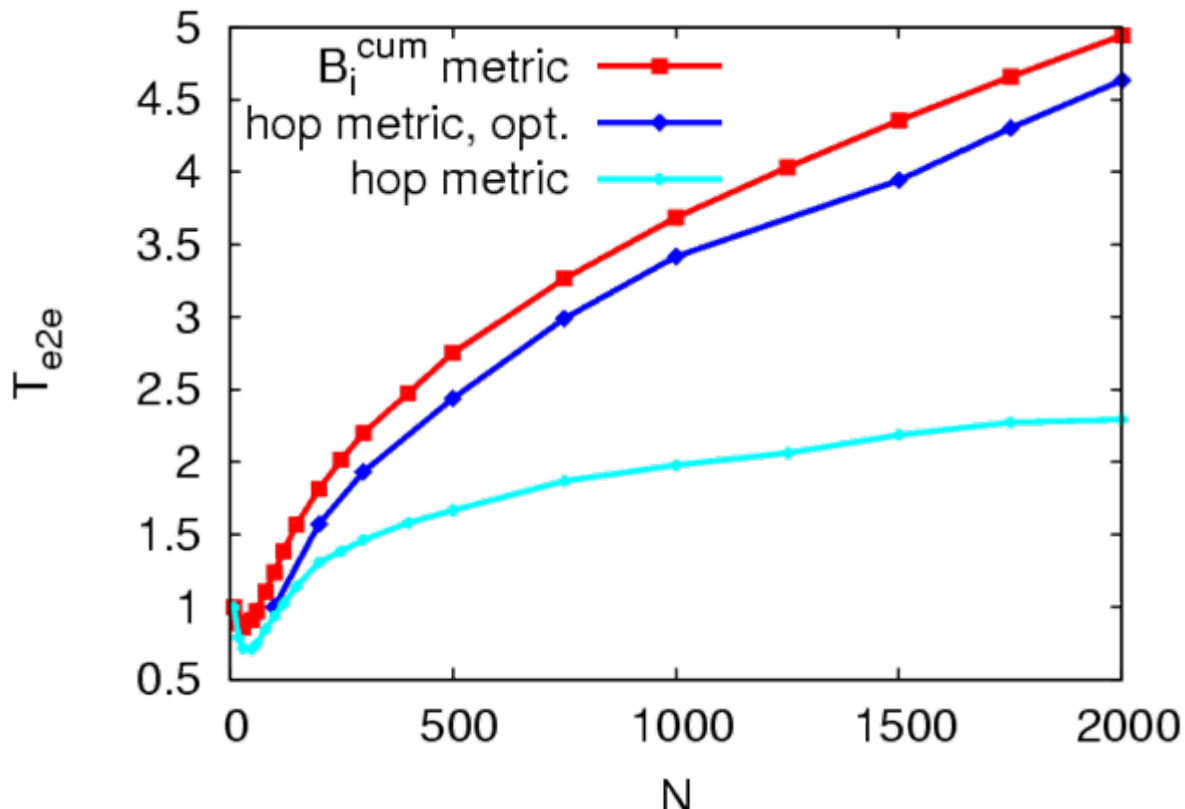
$$\pi_i = \left(\sum_f d_{if} \right)^{-1} - \alpha P_i$$

Routing & congestion control I: proactive routing metric

$$B_m = \sum_{i,f} \text{route}(i \rightarrow f; m)$$

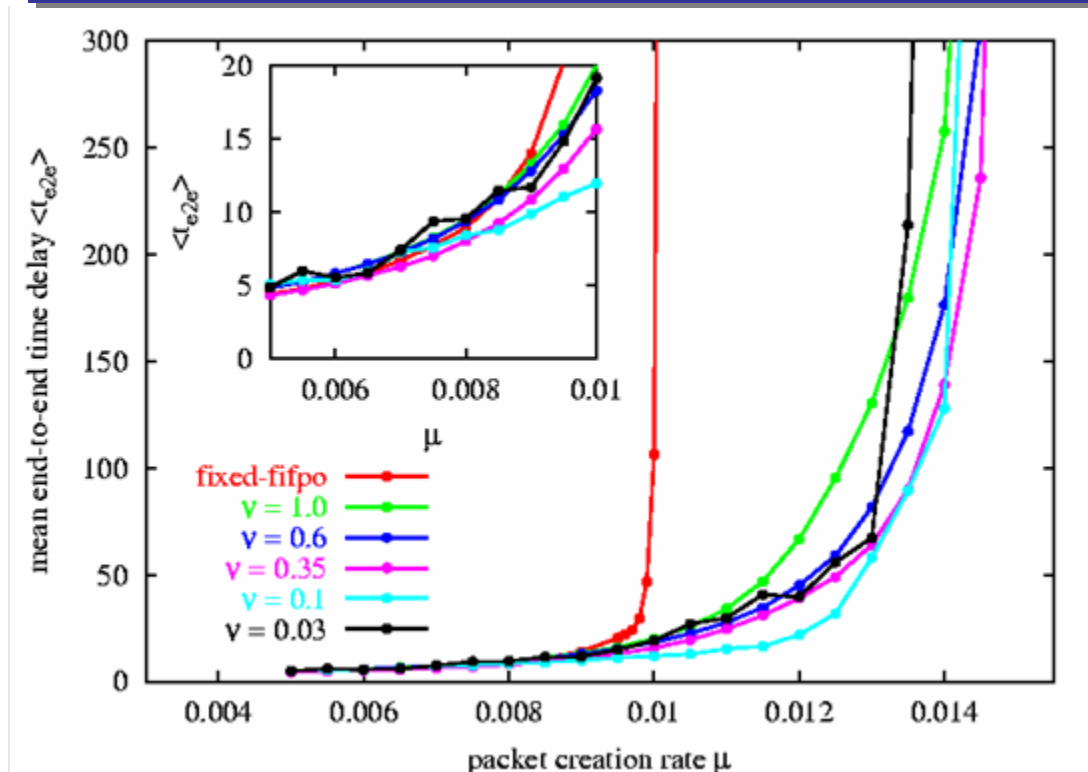
$$d_{i \rightarrow f} = \sum_m \text{route}(i \rightarrow f; m) B_m^{\text{cum}}$$

$$B_m^{\text{cum}} = B_m + \sum_{ngb} B_{ngb}$$



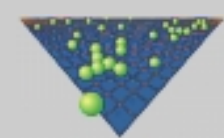
Routing & congestion control II: reactive reinforcement

$$W_{if,j} \leftarrow (1-\nu) W_{if,j} + \nu \left[w_{ij} + \left(\min_{k \in \text{ngb}(j)} W_{jf,k} \right) \right]$$



$$w_{ij} = (n_j \mp 1) + 1$$

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Outlook: more selforganization

(from centralized to decentralized control)

■ **network structure:**
network design games

■ **network dynamics**

■ **network function:**
*computing,
learning,
controlling, ...*

technology meets biology

network design principles:

selforganization, robustness, flexibility, ...

biology:

*brain,
regulatory molecular networks,
immune system, ...*

Physica A 350 (2005) 622

M. Kuhnt (Dipl.)

engineering:

*communication networks,
sensor & actuator networks,
power internet, ...*

